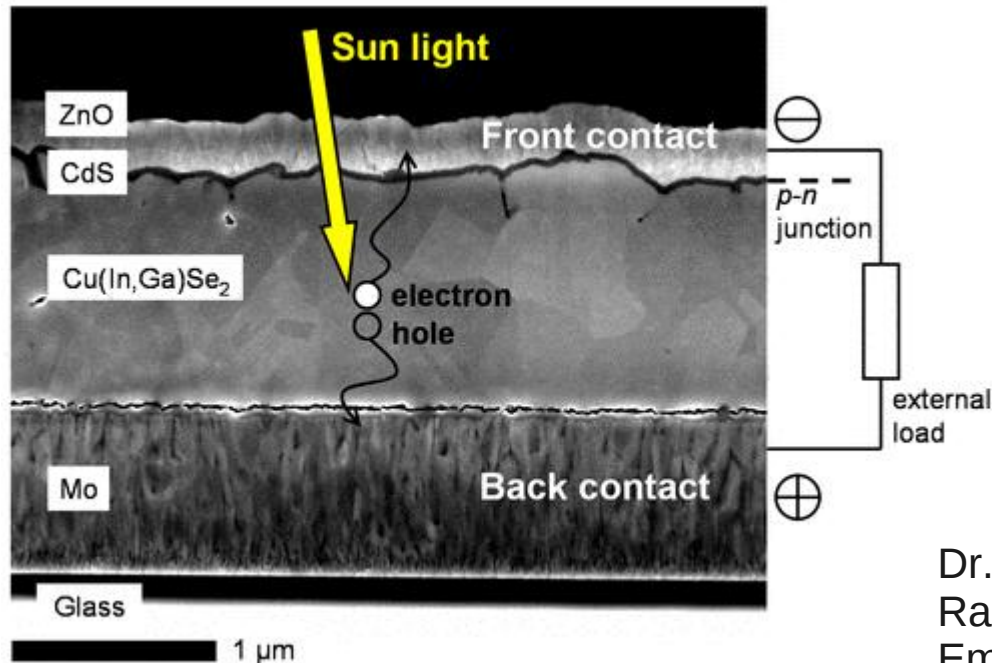
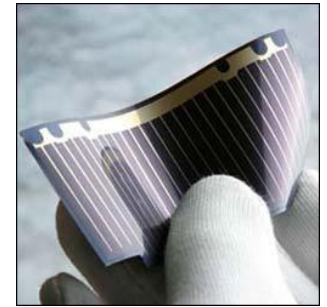
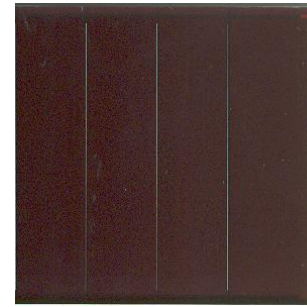


## Dye Sensitized Solar Cells (27027-01)

(Dienstag, 8:00-10:00 Departement Physik, Seminarzimmer 3.12)



Dr. Thilo Glatzel  
Raum 3.04  
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## Übersicht der Vorlesung

<b>22.02.2011</b>	allg. Einführung in die Solarenergie
<b>01.03.2011</b>	Physikalische Grundlagen der Photovoltaik I
<b>08.03.2011</b>	Physikalische Grundlagen der Photovoltaik II
<b>15.03.2011</b>	(Fastnachtsferien)
<b>22.03.2011</b>	Photochemische und photoelektrische Methoden der Energiewandlung
<b>29.03.2011</b>	Aufbau der Farbstoffsolarzelle, vgl. org. Solarzelle
<b>05.04.2011</b>	TiO <sub>2</sub> Nanopartikel als Substrat der Farbstoffsolarzelle
<b>12.04.2011</b>	Geeignete molekulare Farbstoffe zur Sensibilisierung
<b>19.04.2011</b>	Funktionsweise und Alternativen für den Elektrolyten
<b>26.04.2011</b>	(Osterferien)
<b>03.05.2011</b>	(FANAS meeting)
<b>10.05.2011</b>	Solid-State Dye-Sensitized Solar Cells
<b>17.05.2011</b>	Experimentelle Methoden zur Solarzellen-Charakterisierung
<b>24.05.2011</b>	Bau und Charakterisierung eigener Solarzellen
<b>31.05.2011</b>	

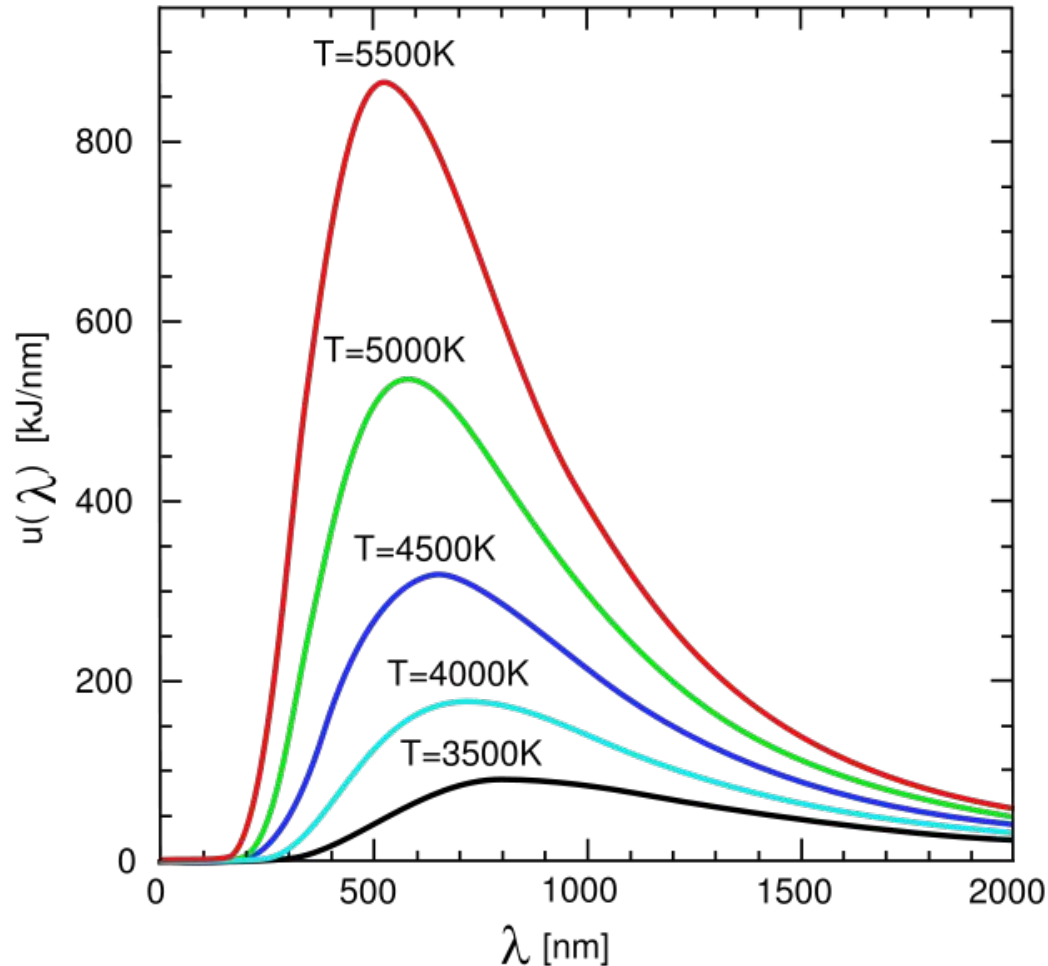


## Experimentelle Methoden zur Solarzellen- Charakterisierung

### Methods

- IV-Characteristic
- Quantum Efficiency
- Surface Photovoltage
-

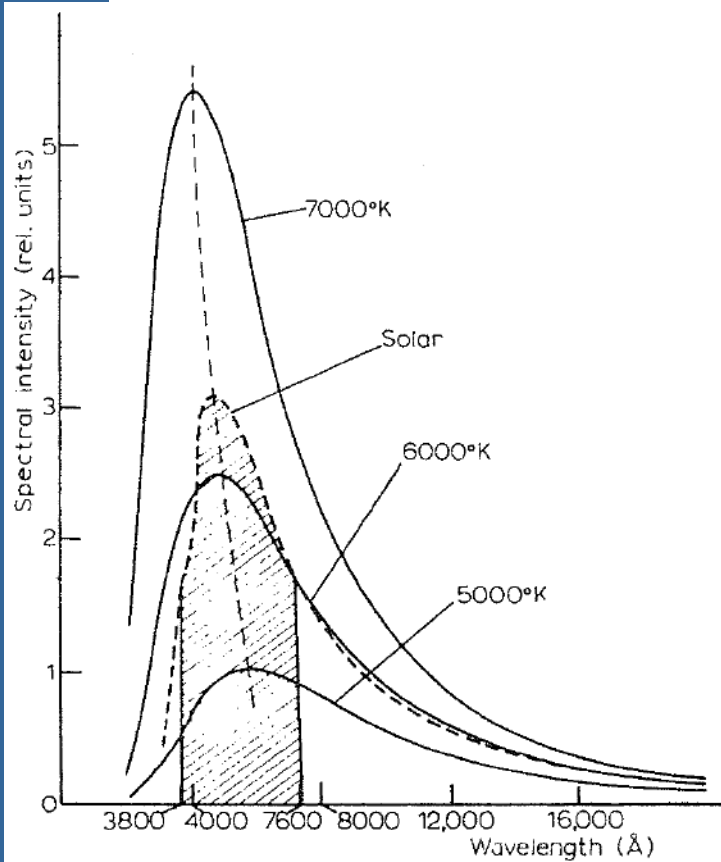
# Solar Spectrum



Consider the sun as a black-body radiator at  $T_s = 6000\text{ K}$ .  
Spectral radiance from Planck's law:

$$I(\nu) = \frac{2h}{c^2} \frac{\nu^3}{\exp\{h\nu/kT_s\} - 1}$$

## Solar Spectrum



There are deviations of the solar spectrum outside the earth's atmosphere compared to black-body radiation.

These are due to:

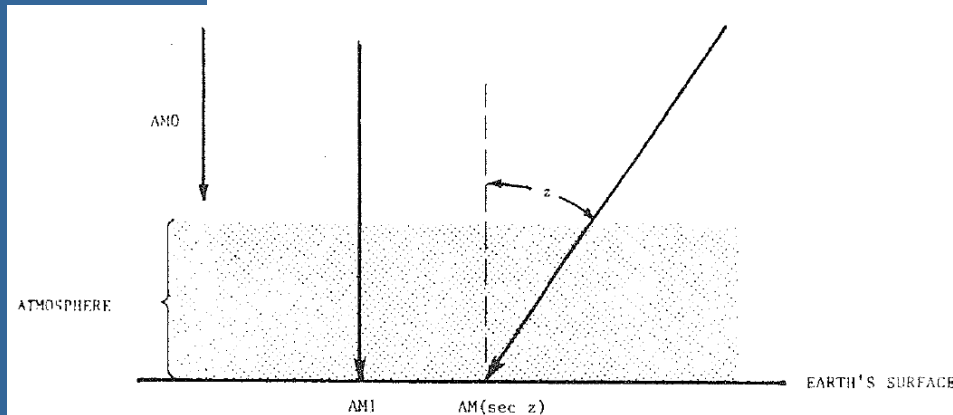
- variation in temperature
- effects of the solar atmosphere
- Fraunhofer absorption lines (due to various elements in the solar atmosphere)

## Effect of the earth's atmosphere

intensity and spectral distribution of the solar spectrum at the earth's surface depend on:

- path length through the atmosphere
- composition of the atmosphere

The path length can be described by the zenith angle  $z$ , which depends on time of day, season, latitude and longitude.



define an equivalent relative air mass  $m_r$ :

outer space: AM0

for zenith angle  $z = 0$ : AM1

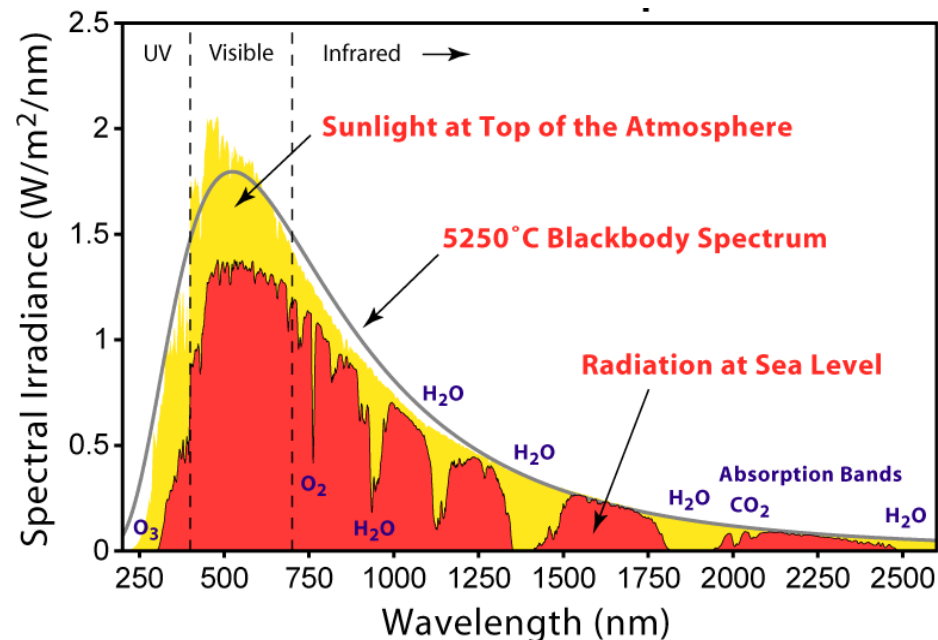
important is AM1.5 = average air mass during daylight hours

→ value at which solar cell efficiencies are measured and compared.

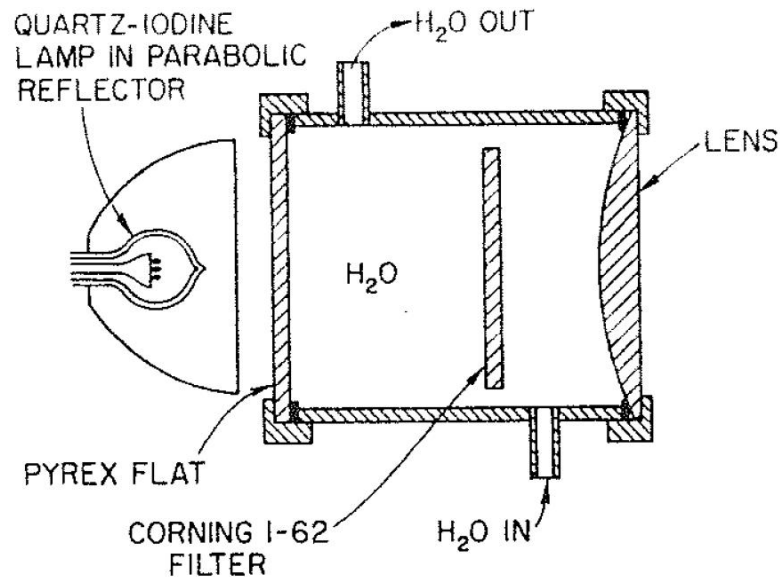
## Solar Radiation Spectrum

On the path through the atmosphere the light experiences:

- Rayleigh scattering (at small particles)
- electronic absorption bands, i.e. oxygen, nitrogen, ozone, ...
- molecular rotational and vibrational bands, i.e. H<sub>2</sub>O, CO<sub>2</sub>, ...
- refraction and turbulence, i.e. variations in index of refraction  $n$  with temperature and pressure (small effect)



## Solar simulation



intensity: 100 mW/cm<sup>2</sup>

use xenon arc lamp or tungsten iodine lamp and appropriate filters to adjust to the solar spectrum.

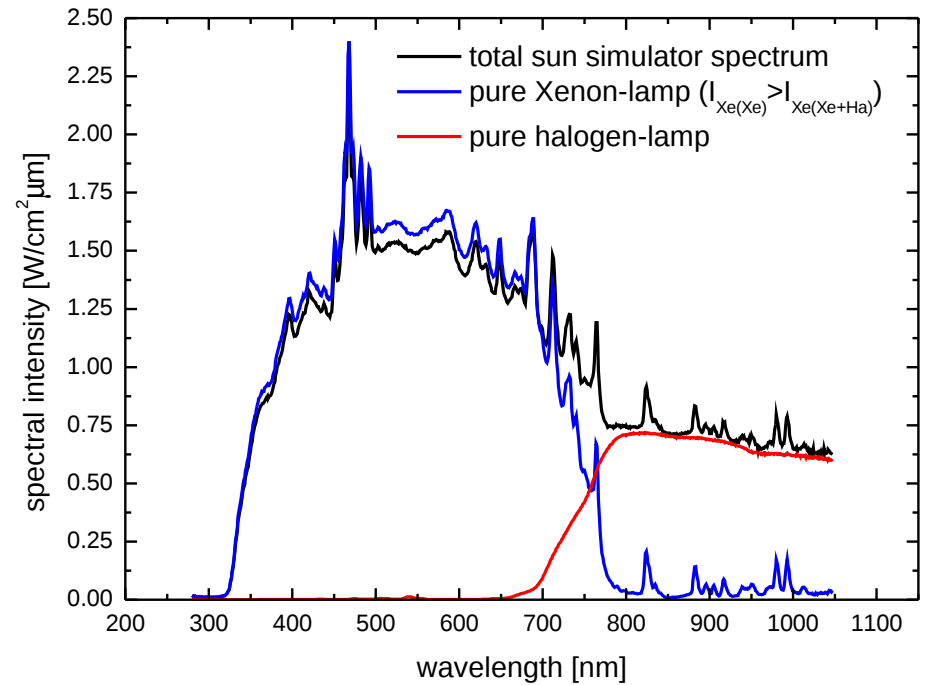
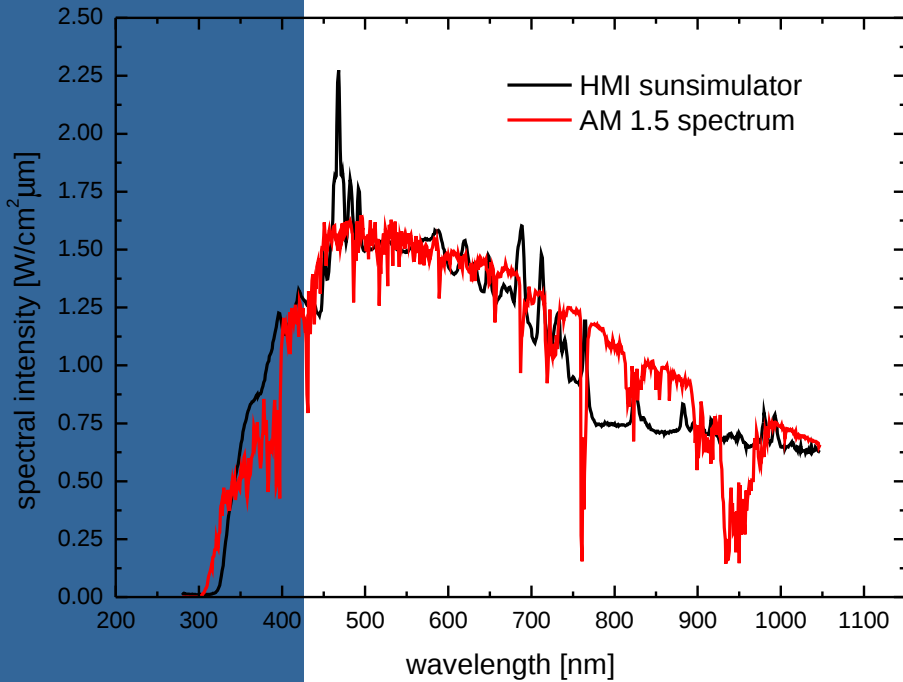
- Water filter to absorb high wavelengths radiation
- Corning I-62 filter as color compensation filter





## Solar Simulator (HZB)

system with two lamps, a xenon arc lamp and a halogen lamp



## Solar Simulator (HZB)



## Characteristics of a Solar Cell

IV-curve of a solar cell, standard diode model:

$$J_{dark}(V) = J_0(e^{qV/k_B T} - 1)$$

Current-Voltage characteristics under illumination:

$$J(V) = J_0(e^{qV/k_B T} - 1) - J_{Ph}$$

$$\Rightarrow V_{OC} = \frac{k_B T}{q} \ln\left(\frac{J_{Ph}}{J_0} + 1\right)$$

$k_B$ : Boltzmann constant,  $T$ : temperature,  $J_{Ph}$ : photo current,  $J_0$ : saturation current

# 1 diode model

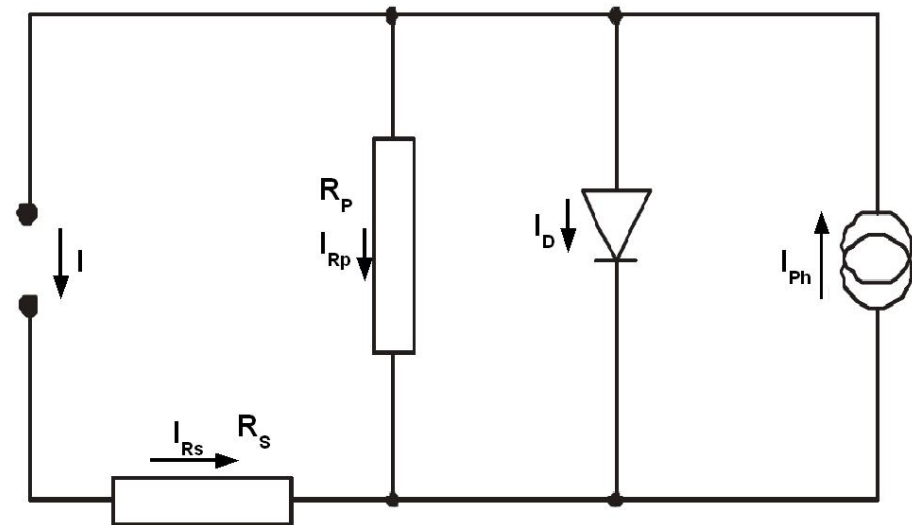
Real solar cells have electrical losses, which can be modeled by a combination of serial and parallel resistors:

$$J(V) = J_0 \left( e^{q \frac{V - R_S J}{A k_B T}} - 1 \right) + \frac{V - R_S J}{R_P} - J_{Ph}$$

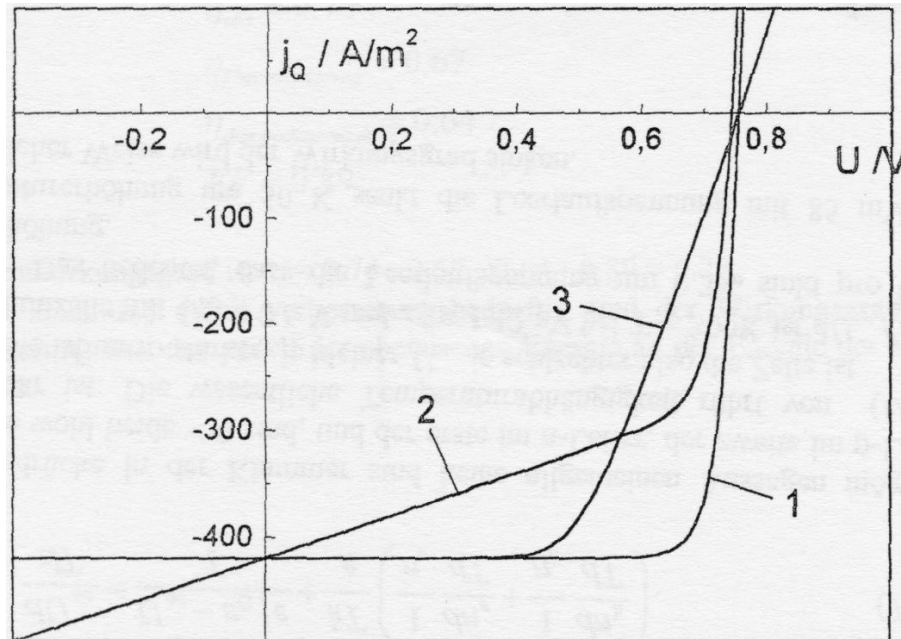
$R_S$ : serial resistance

$R_P$ : parallel resistance

$A$ : diode quality factor



## Influence of the leakage currents



1:  $R_S = 0 \Omega$ ,  $R_P = \infty$

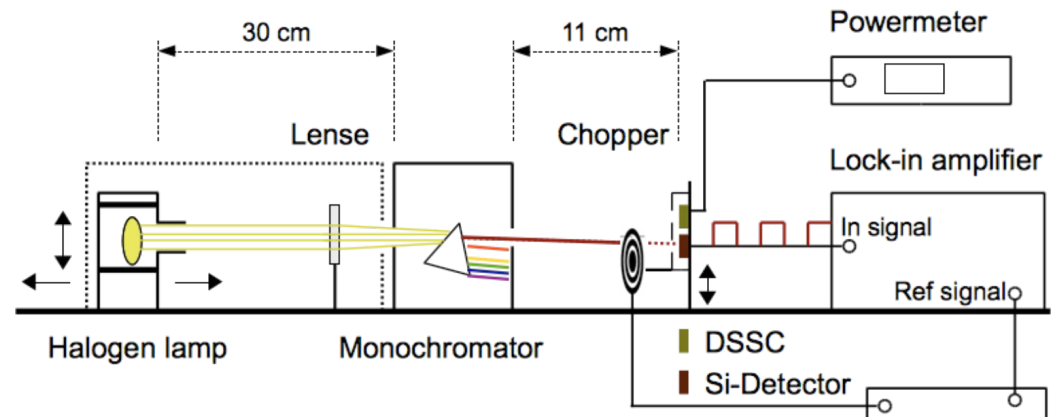
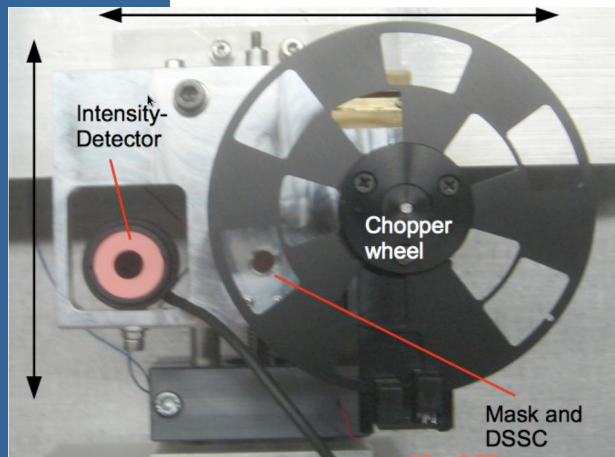
2:  $R_S = 0 \Omega$ ,  $R_P = 50 \Omega$

3:  $R_S = 5 \Omega$ ,  $R_P = \infty$

Non perfect values reducing the fill factor and therefore the power conversion efficiency

## Quantum Efficiency (spectral response)

- Relation between collected charge carriers and the incident photon flux in a certain wavelength region
  - External spectral response (all photons) **EQE**
  - Internal spectral response (only absorbed photons) **IQE**



Other name....: Incident-photon-to-collected electron efficiency (**IPCE**)

## IPCE

- Determination of injection efficiency and electron diffusion length (steady state conditions necessary)

$$IPCE(\lambda) = \frac{J_{sc}}{qI_0} \quad (\text{EQE})$$

- The IPCE can also be expressed by the efficiency of three separate physical processes:

$$IPCE(\lambda) = \eta_{lh}(\lambda)\eta_{inj}(\lambda)\eta_{col}(\lambda)$$

$\eta_{lh}$  Light harvesting efficiency

$\eta_{inj}$  Electron injection efficiency from dye to  $\text{TiO}_2$

$\eta_{col}$  Electron collection efficiency



## APCE

- Absorbed-photon-to-collected-electron efficiency

$$APCE(\lambda) = \frac{IPCE(\lambda)}{\eta_{lh}}$$

- State of the art: APCE~100%, IPCE~ 85%

TABLE 1: Measured ( $j_{sc \text{ AM1.5}}$ ) and Calculated ( $j_{sc \text{ calc}}$ ) Photocurrents for Two Cells ( $d = 13.5 \mu\text{m}$ ) Prepared with and without the  $\text{TiCl}_4$  Treatment under “Front” and “Back” Illumination (SE and EE side)<sup>a</sup>

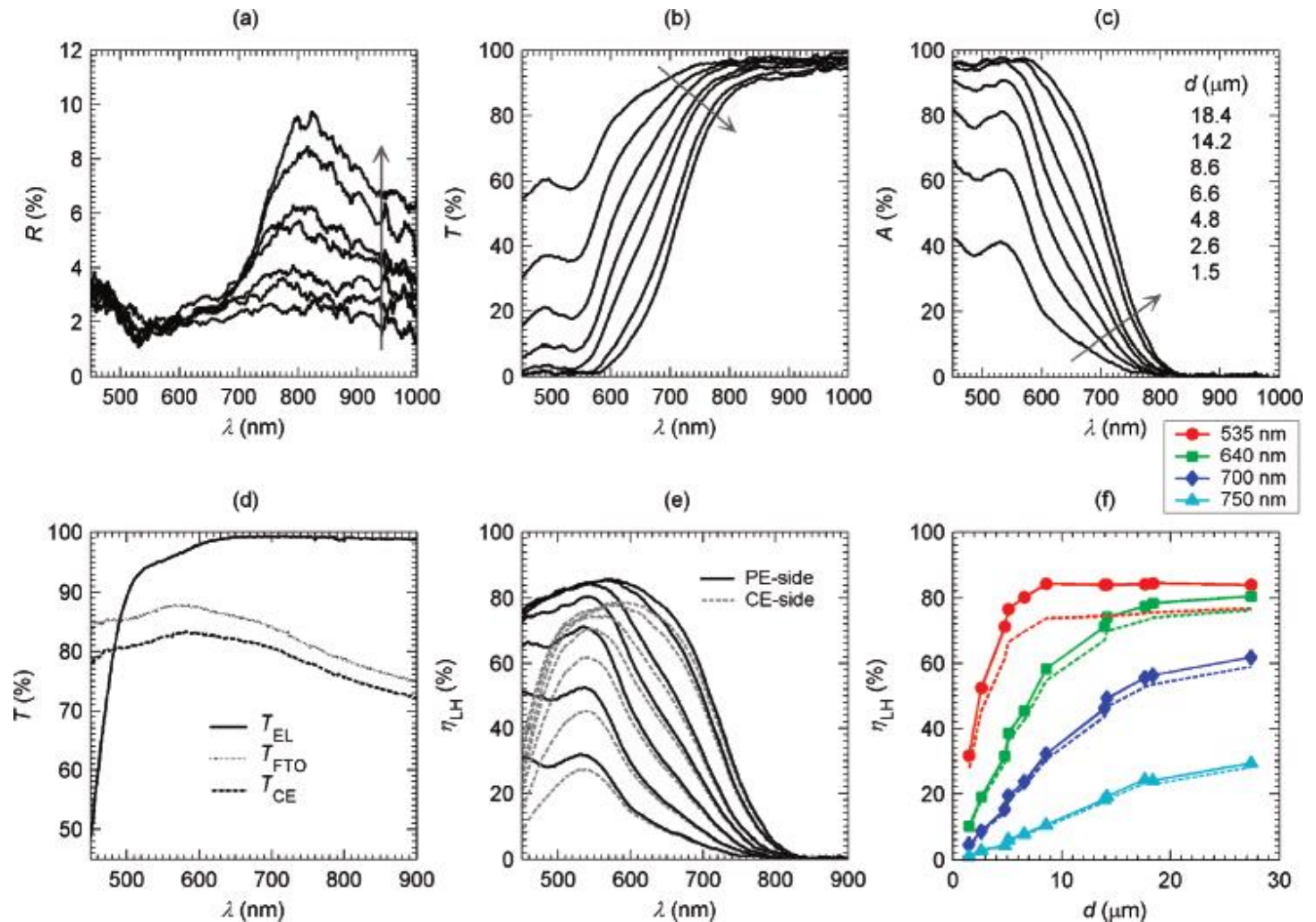
cell, illumination direction	$j_{sc \text{ AM1.5}}$ [measd] ( $\text{mA cm}^{-2}$ )	$L_{IPCE}$ ( $\mu\text{m}$ )	$L_{trans}$ ( $\mu\text{m}$ )	$\overline{\eta_{LH}}$ [AM1.5]	$\eta_{inj}$	$\overline{\eta_{col}}$ [ $L_{IPCE}$ ]	$\overline{\eta_{col}}$ [ $L_{trans}$ ]	$j_{sc \text{ calc}}$ [ $L_{IPCE}$ ] ( $\text{mA cm}^{-2}$ )	$j_{sc \text{ calc}}$ [ $L_{trans}$ ] ( $\text{mA cm}^{-2}$ )
no $\text{TiCl}_4$ , SE	5.2	8.3	20	0.18	0.63	0.67	0.91	5.0	7.1
no $\text{TiCl}_4$ , EE	3.8	8.3	20	0.16	0.63	0.49	0.85	3.4	5.9
with $\text{TiCl}_4$ , SE	8.9	28	55	0.20	0.69	0.95	0.99	8.9	9.3
with $\text{TiCl}_4$ , EE	7.8	28	55	0.18	0.69	0.91	0.98	7.7	8.3

<sup>a</sup> The values of  $L$  used to calculate the photocurrent with eq 8 (or 9) were determined either by analysis of IPCE data ( $L_{IPCE}$ ) or from transient perturbation measurements ( $L_{trans}$ ).  $\overline{\eta_{LH}}$  is the light harvesting efficiency weighted for the integrated photon flux of the AM1.5 spectrum ( $\lambda < 4000 \text{ nm}$ ).  $\overline{\eta_{col}}$  is the corresponding electron collection efficiency weighted over all incident wavelengths and is shown for both values of  $L$ . The photocurrent,  $j_{sc \text{ calc}}$ , calculated using  $L_{IPCE}$  analysis agrees well with the photocurrent measured using the solar simulator,  $j_{sc \text{ AM1.5}}$ .





## Light-harvesting efficiency and optical properties



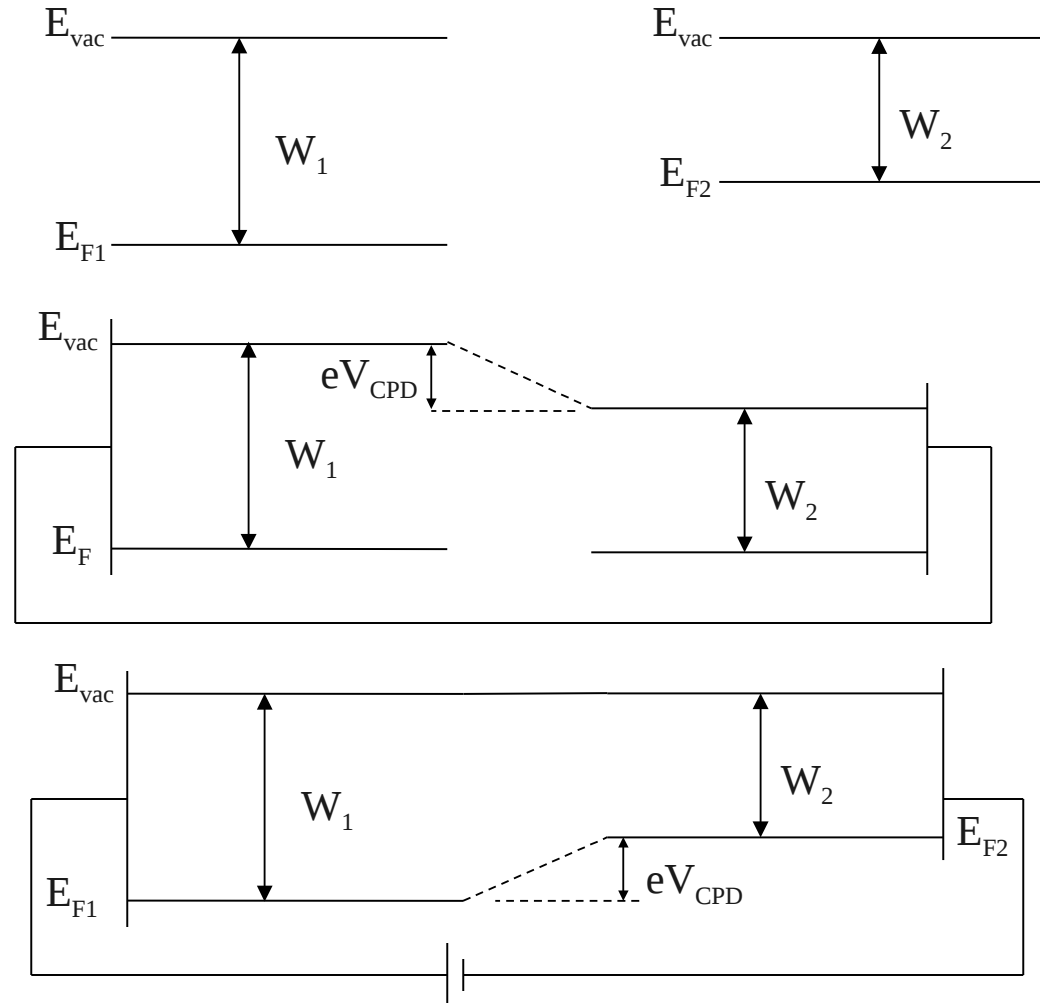
## Surface Photovoltage

The surface photovoltage (SPV) is defined as the illumination-induced change in the surface potential.

This effect, observed at Si and Ge surfaces, was first reported in a short note by Brattain in 1947

## Kelvin Probe

- Determining relative changes in work functions is done by measuring the work function difference between two materials.

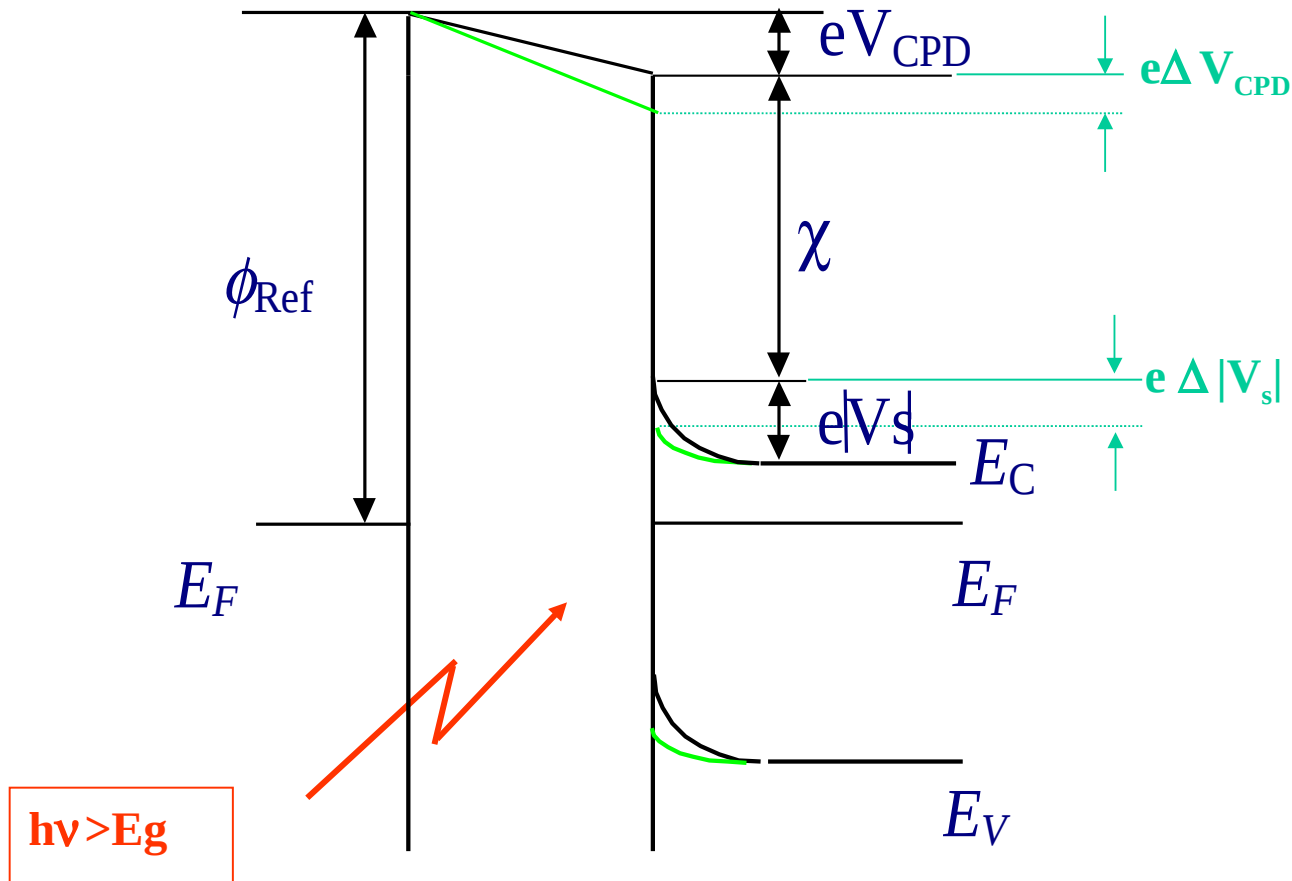




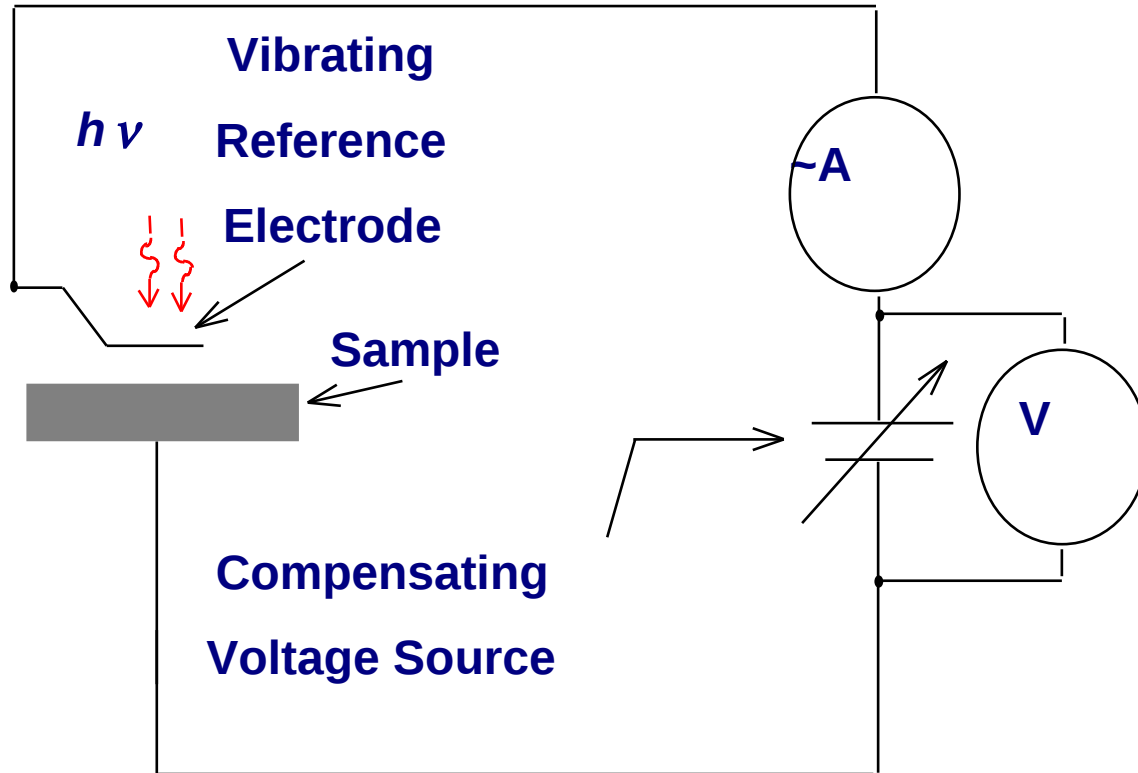
## Surface Photovoltage -SPV

Reference  
Probe

*n*-type  
Semiconductor



## The Basic Kelvin Probe



$$i = (V_{CPD} + V_{DC}) \frac{dC}{dt}$$

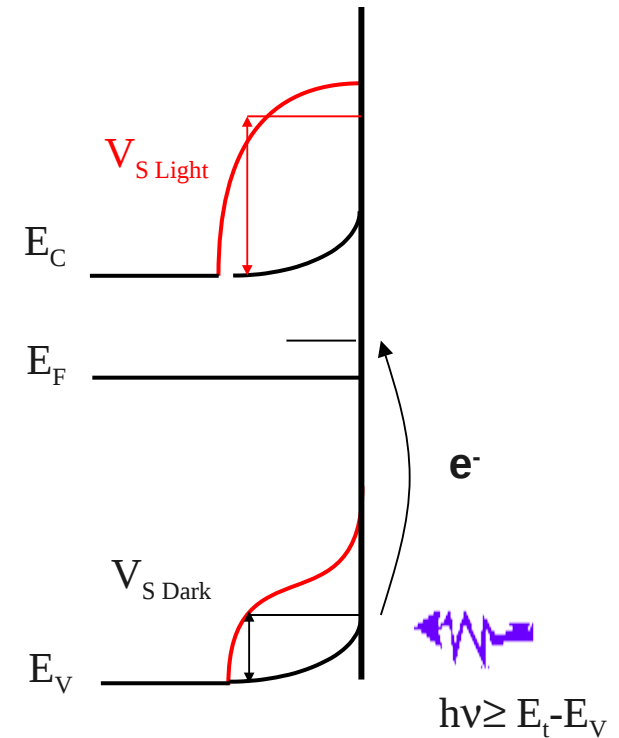
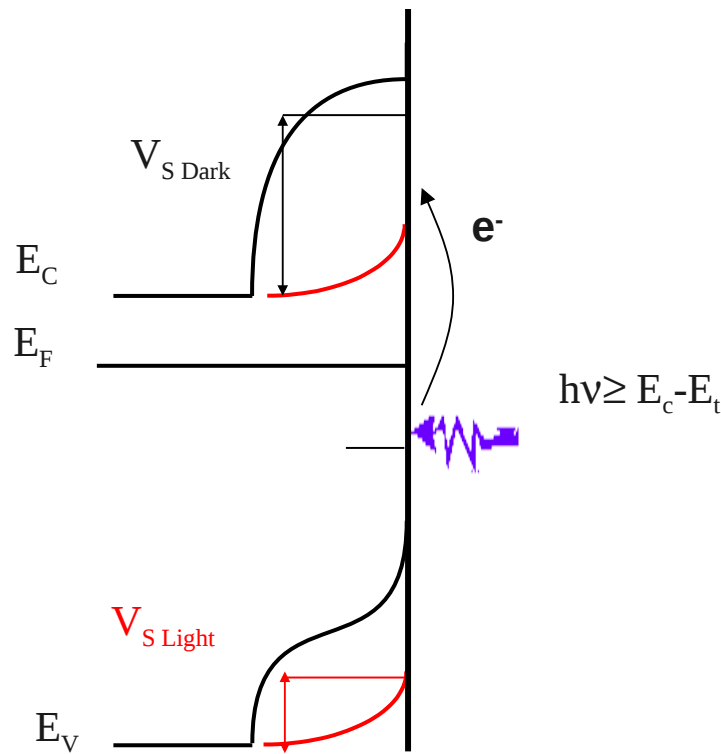
$$V_{dc} = -V_{CPD}$$

$$i_{ac} = 0$$

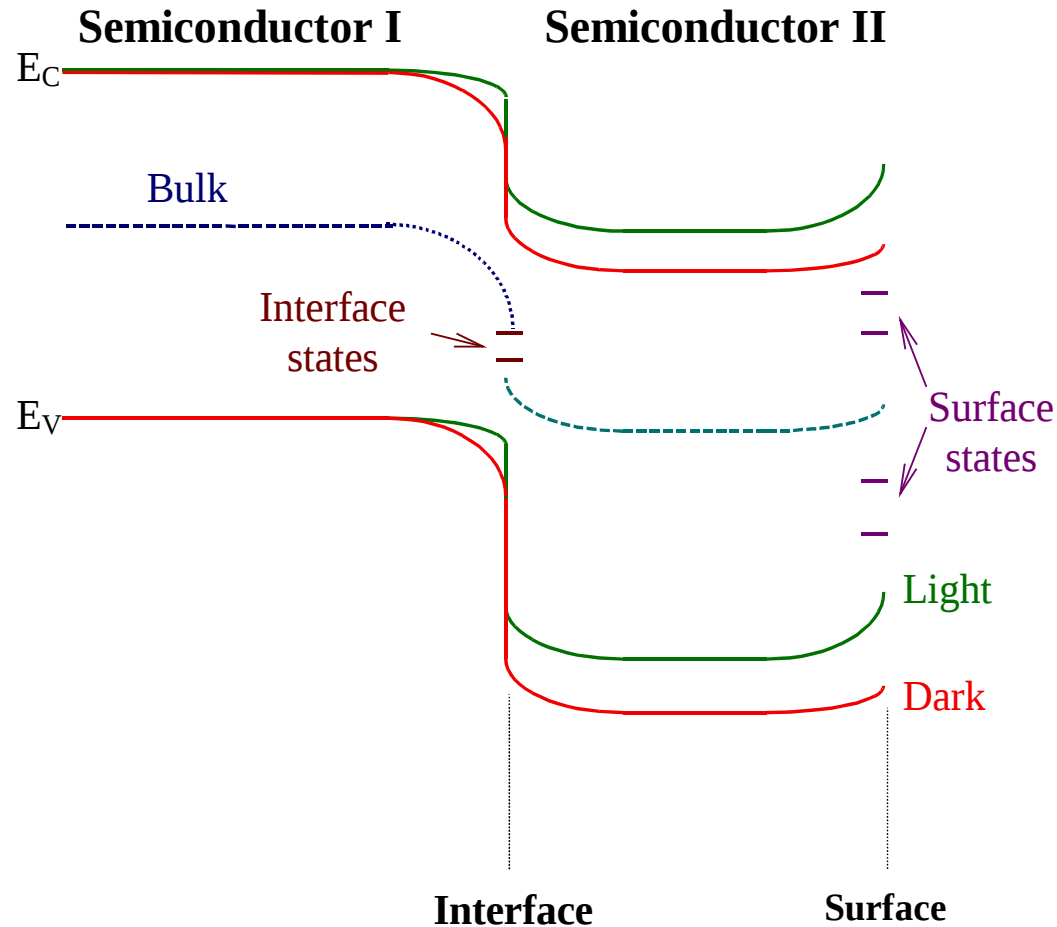
## Surface Photovoltage Spectroscopy (SPS)

### Surface state depopulation

### Surface state population

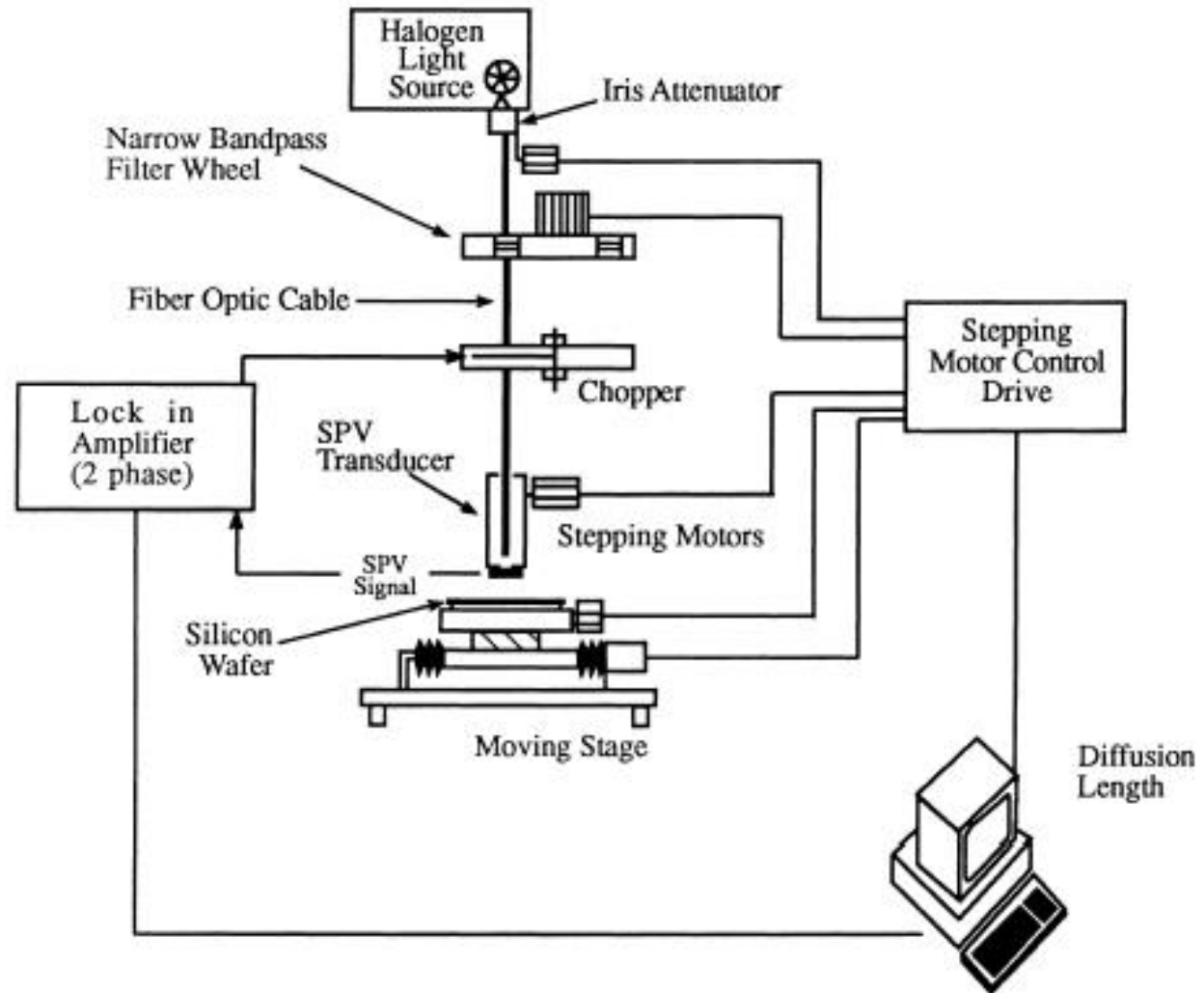


## SPV of Buried Interfaces



Surface photovoltage spectroscopy is sensitive to electric fields in buried layers as well as at the surface.

## Commercialization, Industrial Applications



(a)





## Intensity modulated photocurrent spectroscopy (IMPS)

- provides new insight into the dynamics of electron transport and collection in DSSCs

Principle of IMPS:

Modulation of the light, illuminating an electrochemical cell. The quotient of one electric magnitude (current or voltage) with the dynamic light intensity  $P^*$  leads to the IMPS spectrum  $H^*$ .



## Principle of EIS:

Modulation of the current  $I$  or the voltage  $U$  at an electrochemical cell

C. The quotient of the dynamic magnitudes leads to the Impedance  $Z^*$  (or Admittance  $Y^*=1/Z^*$ ).